

Solutions: Chapter 4 (Chapter 7)

20. a.

Experimental Outcome	Age		Number of Responses	Probability
	Financially Independent			
E_1	16 to 20		191	$191/944 = 0.2023$
E_2	21 to 24		467	$467/944 = 0.4947$
E_3	25 to 27		244	$244/944 = 0.2585$
E_4	28 or older		42	$42/944 = 0.0445$
			944	

b. $P(\text{Age} < 25) = P(E_1) + P(E_2) = .2023 + .4947 = .6970$

c. $P(\text{Age} > 24) = P(E_3) + P(E_4) = .2585 + .0445 = .3030$

d. The probability of being financially independent before the age of 25, .6970, seems high given the general economic conditions. It appears that the teenagers who responded to this survey may have unrealistic expectations about becoming financially independent at a relatively young age.

28. Let: B = rented a car for business reasons
P = rented a car for personal reasons

a. $P(B \cup P) = P(B) + P(P) - P(B \cap P)$
 $= .54 + .458 - .30 = .698$

b. $P(\text{Neither}) = 1 - .698 = .302$

32. a. Dividing each entry in the table by 500 yields the following (rounding to two digits):

	Yes	No	Totals
Men	0.210	0.282	0.492
Women	0.186	0.322	0.508
Totals	0.396	0.604	1.00

Let M = 18-34-year-old man, W = 18-34-year-old woman, Y = responded yes, N = responded no

b. $P(M) = .492$, $P(W) = .508$
 $P(Y) = .396$, $P(N) = .604$

c. $P(Y|M) = .210/.492 = .4268$

- d. $P(Y|W) = .186/.508 = .3661$
- e. $P(Y) = .396/1 = .396$
- f. $P(M) = .492$ in the sample. Yes, this seems like a good representative sample based on gender.

33. a.

		Undergraduate Major			Totals
		Business	Engineering	Other	
Intended Enrollment Status	Full-Time	.2697	.1510	.1923	.6130
	Part-Time	.1149	.1234	.1487	.3870
Totals		.3847	.2743	.3410	1.0000

- b. Let B = undergraduate major in business
 E = undergraduate major in engineering
 O = other undergraduate major
 F = full-time enrollment

$P(B) = .3847$, $P(E) = .2743$, and $P(O) = .3410$, so business is the undergraduate major that produces the most potential MBA students.

c.
$$P(E|F) = \frac{P(E \cap F)}{P(F)} = \frac{.1510}{.6130} = .2463$$

d.
$$P(F|B) = \frac{P(F \cap B)}{P(B)} = \frac{.2697}{.3847} = .7012$$

- e. For Independent, $P(F|B) = P(F)$
 $P(F|B) = .7012$
 $P(F) = .6130$
 Since , $P(F|B) \neq P(F)$, the events are not independent